

# An Algorithmic Approach to Identifying Link Failures

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# From Nanog Mailing List.

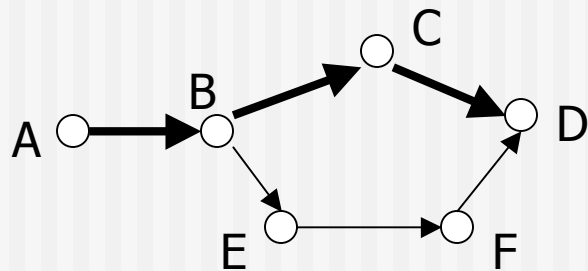
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Can anyone with a host on 64/8  
try reaching termforsale.net  
or creativesound.ca ?

- *From:* Damian Gerow • *Date:* Thu Oct 31 10:09:13  
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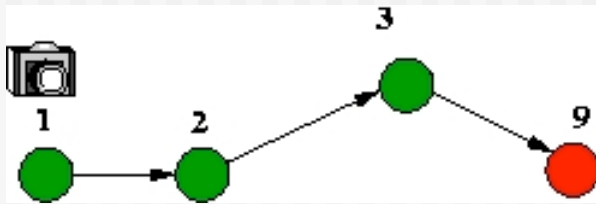
# Background: Routing Infrastructure

- Border Gateway Protocol (BGP)
  - Autonomous Systems exchange routing information

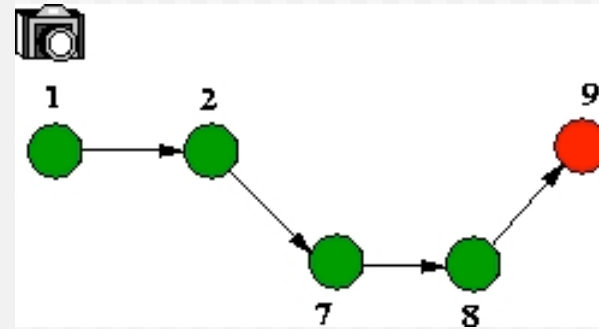


- B tells A : path to reach D is “D: B,C,D”
- For update, B tells A: new path to reach D is D: B,E,F,D”

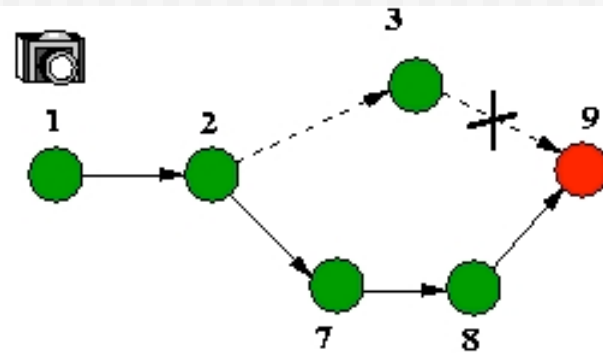
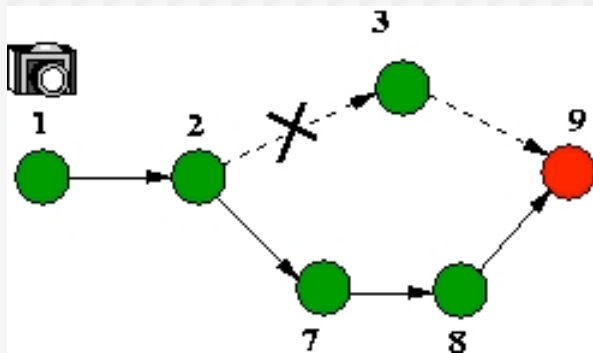
# Faults in Networks



Routing Tree  $T_0$

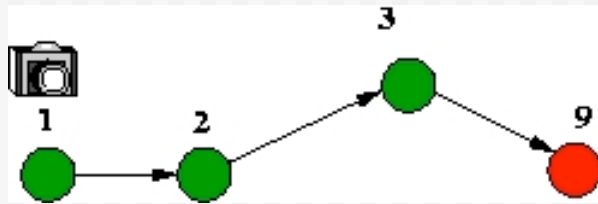


Routing Tree  $T_1$

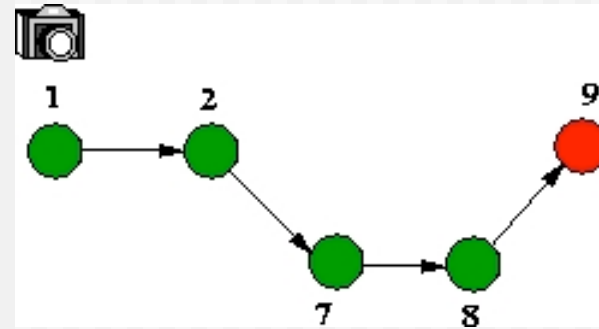


Problem I: Two Different Events could cause same observed effect

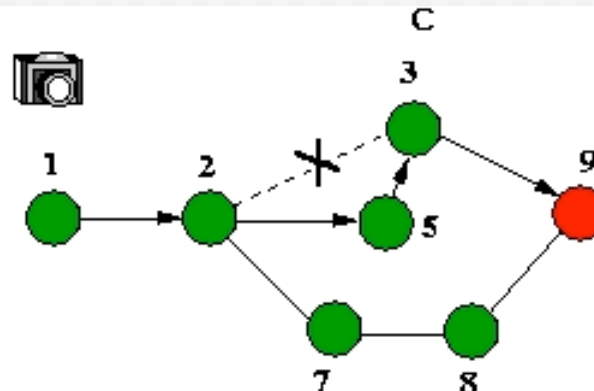
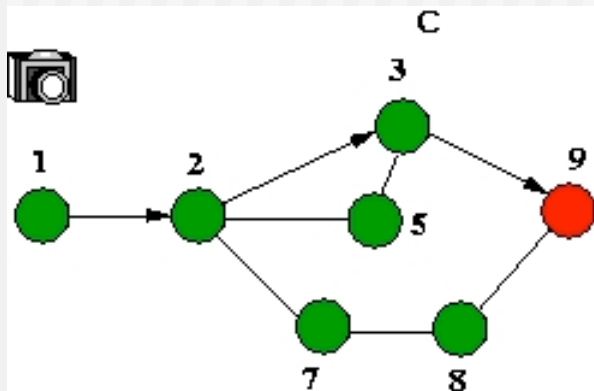
# Faults in Networks



Routing Tree  $T_0$



Routing Tree  $T_1$



Knowing the underlying topology may help eliminate some scenarios, but does not guarantee elimination of problem-I

# Challenges in Fault Identification

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- Underlying topology not known.
- Path information available from only a select few monitoring points.
- Problem Statement:
  - Given a set of monitoring points  $M$ , and incomplete knowledge of the underlying topology, identify possible sets of candidate faults  $F$ .
  - PRDC 2004,  $IFI=1$
  - $IFI \geq 1$ , under submission.

# Abstraction

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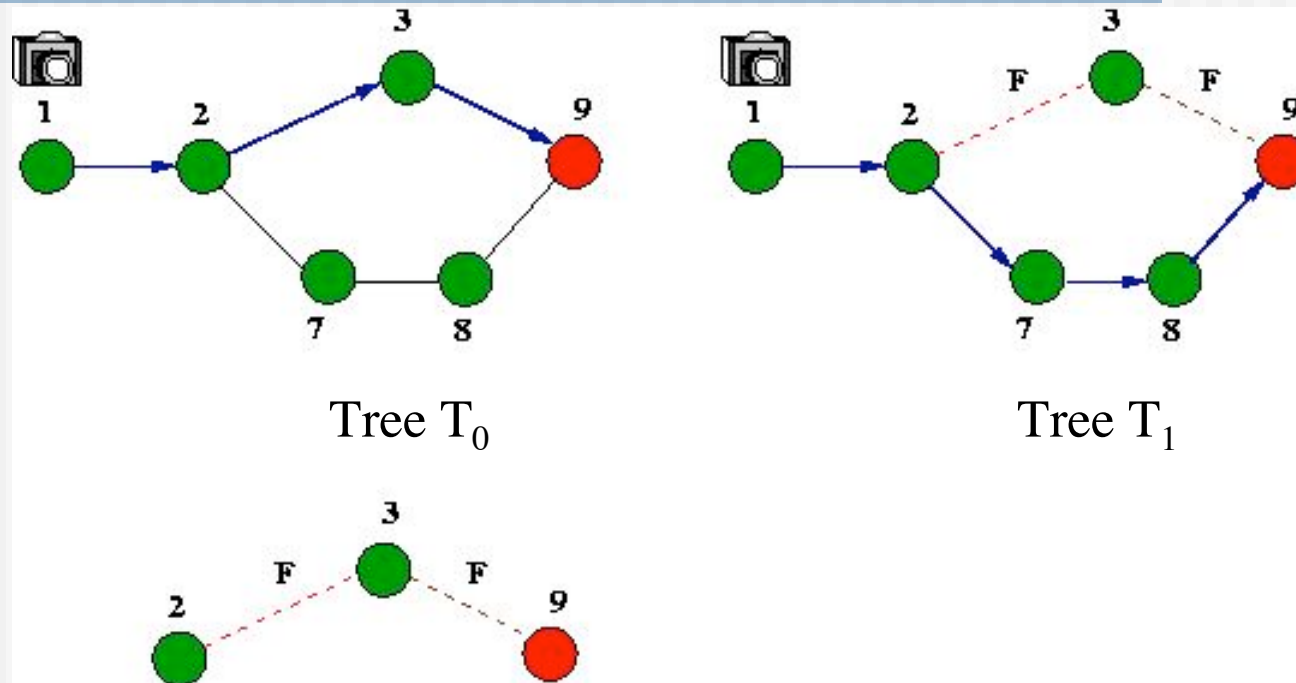
- Internet as graph:  $(V_N [ V_D, E_N [ E_D)$ 
  - $V_N$ : AS,  $E_N$ : AS peering
  - $V_D$ : prefix/destination
  - $E_D$ :  $(p,q)$ ,  $p \in V_D$ ,  $q \in V_N$
- SPVP: Simple Path Vector Protocol
  - Advertise shortest route to all neighbors.

# The Basic Approach: From One Monitoring Point

- Let  $G = T_0 \cup T_1$
- Let  $SPT(G, M)$  be shortest path tree from  $M$  to all  $V_D$  in  $G$ .
- Initial  $T_0 = SPT(G) = SPT(T_0 \cup T_1)$
- Final  $T_1 = SPT(G - F) = SPT(T_0 \cup T_1 - F)$ , where  $F$  is the failed edge,  $|F|=1$ .
- Transform  $T_0$  to  $T_1$  by removing the edge closest to  $M$  from  $G$ .
- $FindPath()$ : returns the path of candidate edges that could have failed.

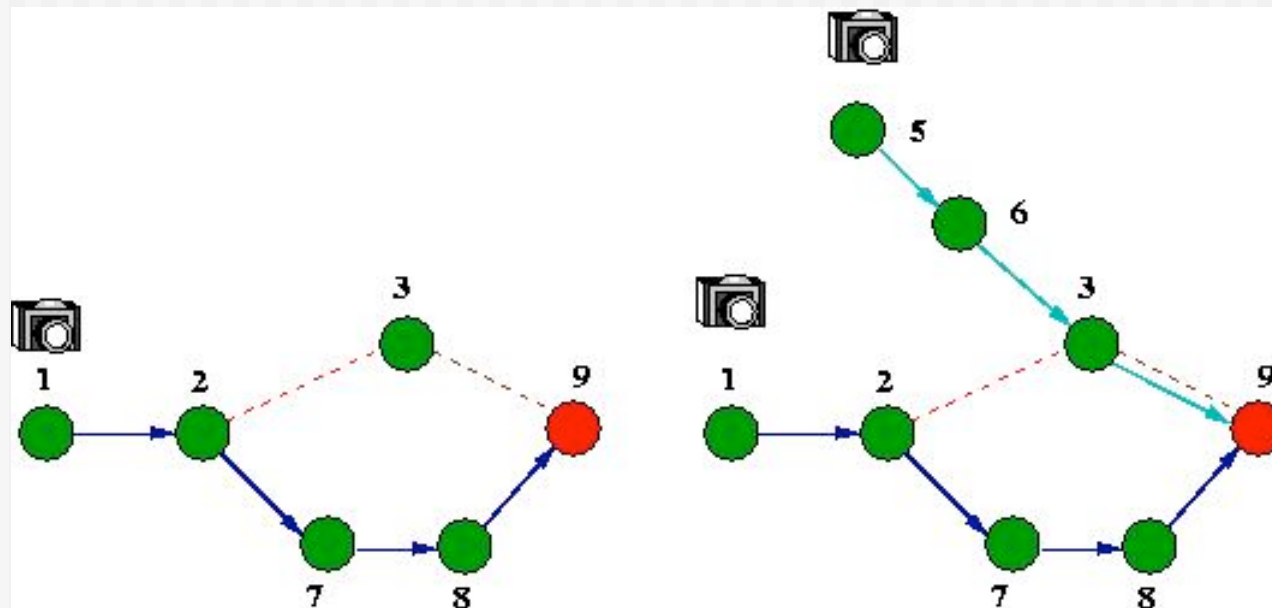


# Example



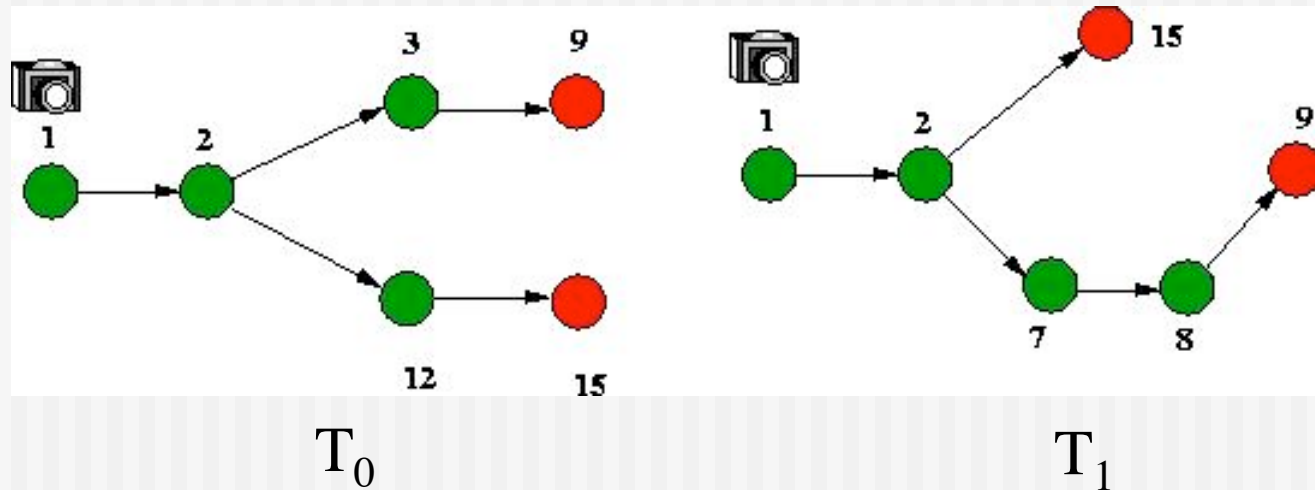
Fault Path from Node 1

# Use of Additional Views



- Certain candidate fault edges have to be marked valid. e.g. (3,9)
- Final set of candidate failures =  $\cup F_i - \{\text{valid edges}\}$
- Additional views help, but do not guarantee accurate identification of faults.

# Link Additions



1. Route to destination 15 gets shorter; an indication of link addition
2. Same algorithm can be applied with the role of  $T_0$  and  $T_1$  reversed
3. Can we deal with a scenarios where one link fails and another is added ?

# Example

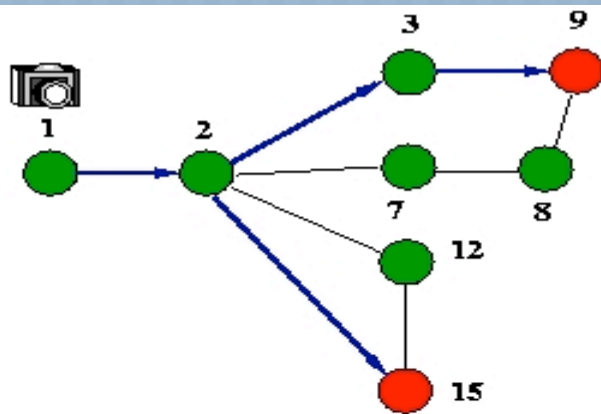


Fig a.

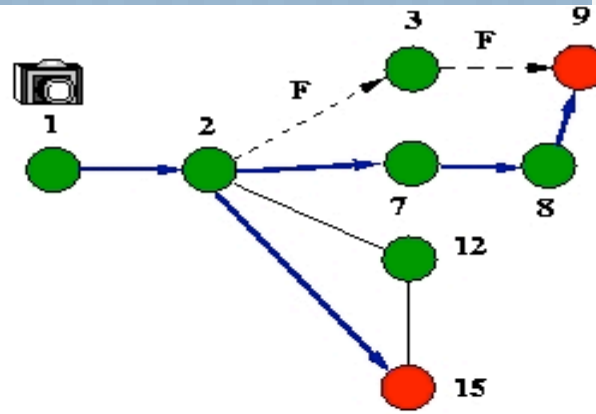


Fig b.

No more links  
can be removed  
With original  
Roles of  $T_0$ ,  $T_1$

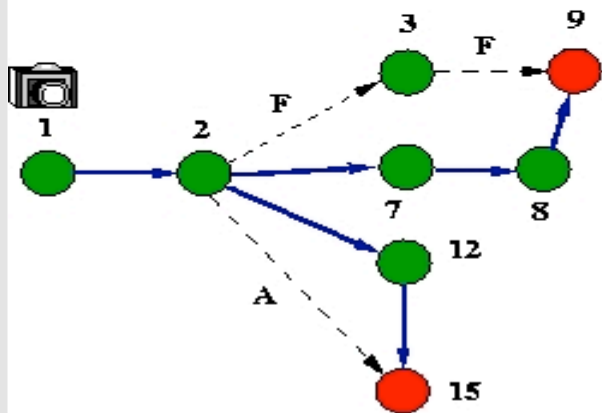
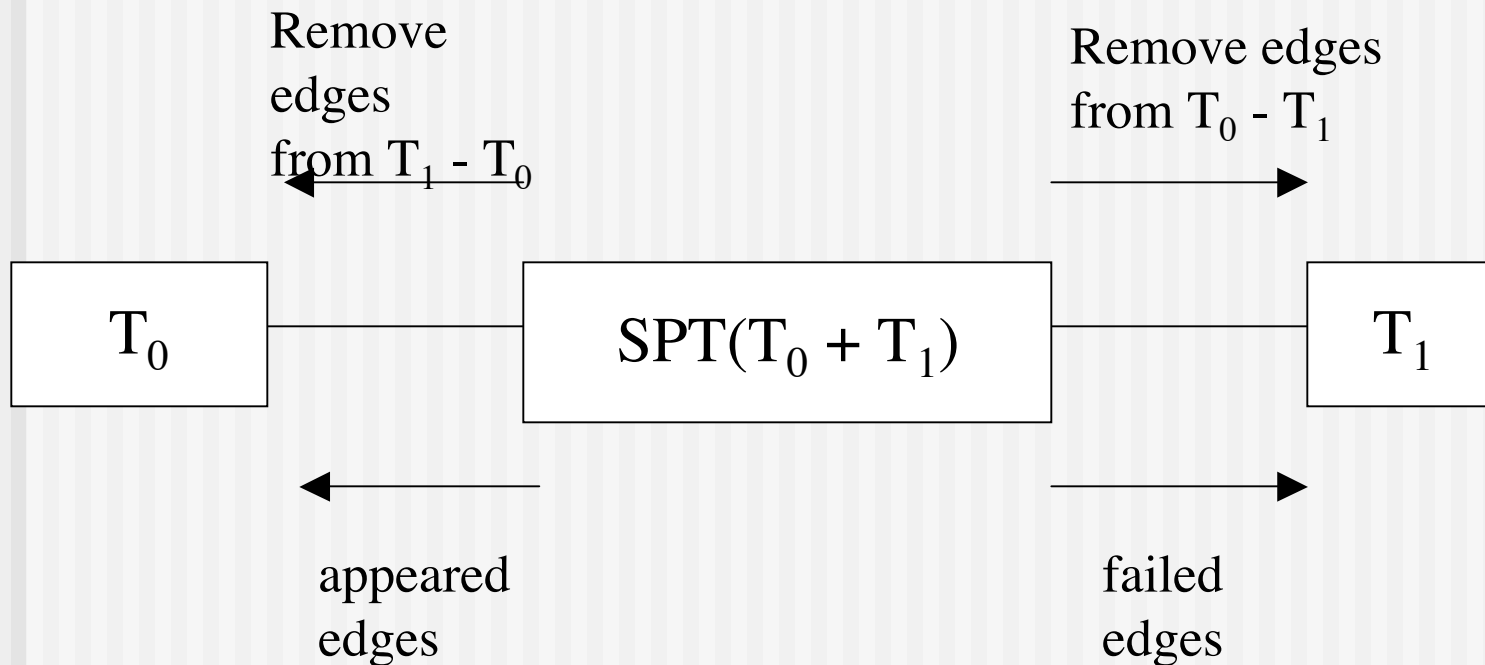


Fig c.

Switch roles of  $T_0$  and  $T_1$   
Now, edge (2,15) can be removed.  
Thus, edge (2,15) labeled as appeared.  
Procedures similar to fault case applied  
to find out candidate appeared edges.

# Summary of Approach



Exploit Symmetry in identification of failed and appeared edges

# Final Words

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- For a single fault/recovery, our approach can find the candidates for failed or recovered edges.
- Ongoing and Future Work,
  - case of multiple failures (under submission)
  - partial link failures
  - Non-shortest path routing